### Chapter 2: Part I Consumer Behaviour and Market Demand

**Objective:** To determine the \_\_\_\_\_ demand function by building a **model** that focuses on the behaviour of the individual consumer. In particular, we will explore how the consumer achieves maximum satisfaction given his or her tastes, the prices of goods and the \_\_\_\_\_ of the consumer.

(I) <u>Consumer Preferences</u>:
 (A) Indifference Curves
 (B) MRS

# (II) <u>Budget Constraint</u> (A) Attainable Baskets (B) Shifts

### (III) Consumption Decision

- (A) Maximum s\_\_\_\_\_
- (B) Specialization

### (IV) The Market Demand Function

- (A) Consumer's \_\_\_\_\_ function
- (B) Aggregating the demand functions

### (V) Substitutes and Complements

### **Building the Consumer Behaviour Model**

**Definition:** A **market basket**: specifies the q of different goods consumed per unit of time.

### **Assumptions About Consumer Behaviour:**

### <u>(1)</u> C

-A consumer is able to "\_\_\_\_" market baskets: -prefer Basket A to Basket B -prefer Basket B to Basket A -indifferent between Basket A and Basket B

Ability to rank market basket solely on the basis of the consumer's own satisfaction.

### <u>(2) C</u> :

The consumer is consistent with his or her preference

- ▷ Preferences are stable.
- $\triangleright$  T\_\_\_\_\_ are assumed not to change.

### <u>(3) T\_\_\_\_\_:</u>

Eliminates contradictions in the consumer's preference ordering.

If the consumer prefers Basket A to Basket B, and prefers Basket B to Basket C, then, the consumer will prefer Basket A to Basket C.

### <u>(4) Non</u>\_\_\_:

- $\triangleright$  More is \_\_\_\_\_ to less.
- $\triangleright$  The consumer is assumed to prefer \_\_\_\_\_ of any good.
- ▷ The \_\_\_\_\_ of a good the consumer can consume, the higher the level of satisfaction and well-being.



### **Describing Consumer Preferences**: **<u>Indifference Curves</u>**

The consumer's preferences can be illustrated with the aid of **indifference curve** analysis.

An **<u>indifference curve</u>** represents a *set* of market baskets where the \_\_\_\_\_\_ derived from each basket of goods is the <u>same</u> no matter which basket is consumed.

The consumer is \_\_\_\_\_\_ satisfied by any basket in the set.

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The consumer will attain the \_\_\_\_\_amount of satisfaction from consuming basket A or B.

Actually, the consumer will be indifferent between consuming any combination of Coke and coffee along the indifference curve.

The idea of an indifference curve is that it illustrates the notion of how willing a consumer is to \_\_\_\_\_\_ one good for another and still remain in \_\_\_\_\_.

The shapes of indifference curves differ from one **individual** to another.

### There are two extreme cases of indifference curves:

### (1) <u>The S</u> Line Indifference Curve:



Cash use per day

**Examples:** brand versus no-name products Long-distance phone companies Gasoline stations

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### (2) <u>The L-S</u> <u>Indifference Curve</u>:

Two goods must be consumed together in the same fixed proportion.

The two goods are considered **perfect** \_\_\_\_\_.



### **The Marginal Rate of Substitution**

At any point along the indifference curve, the \_\_\_\_\_ of the indifference curve is called the **marginal rate of substitution** (MRS).

The MRS illustrates the consumer's trade-off between the two goods that keeps the consumer's \_\_\_\_\_ constant.

MRS is n\_\_\_\_\_.

It numerically indicates how much of one good the consumer is willing to give up for a given increase in another good.

### Algebraically:

$$MRS_{YX} = \frac{\Delta Y}{\Delta X}\Big|_{U=constant}$$
 (Marginal Rate of Substitution)

Generally, as one moves horizontally along the indifference curve, the slope of the curve becomes \_\_\_\_\_.

Numerically, the slope becomes larger (i.e. a smaller negative number.)

Hence, the *typical* indifference curve exhibits a diminishing rate of substitution.



### **Indifference Maps**

An indifference map contains all of the indifference curves of a

Every market basket is on one of these curves.



 $I_0\!\!<\!\!I_1\!\!<\!\!I_2$ 

In the diagram above, we have three of several indifference curves for an individual consumer. Basket 1 provides more utility than Basket 2 because it is located on a higher indifference curve.  $(I_0 < I_1 < I_2)$ 

Basket 1 and 3 provide the same level of satisfaction, because they are both located on the same indifference curve.

Basket 4 provides the highest level of utility.

Any market basket on an indifference curve \_\_\_\_\_\_ of another indifference curve will be preferred.

The consumer must be able to  $\underline{\mathbf{r}}$  the market baskets to create an indifference map.

By assigning utility numbers to each market basket, each basket on the same indifference curve would have the same utility number.

Of course, larger numbers would be assigned to market baskets on higher indifference curves.

To summarize the consumption preferences of the consumer, a utility function illustrates the relationship between the quantity consumed of each good and the utility number:

U=U(X,Y) Utility Function

### **Properties of Indifference Curves**

- 1) The \_\_\_\_\_ of an indifference curve must be negative.
- 2) Indifference curves never \_\_\_\_\_.
- 3) C\_\_\_\_\_ to the origin
- 4) Higher curves preferred



### **Budget Constraint**

Consumers cannot **afford** all the goods and services they desire.

Consumers are limited by their  $\underline{i}$  and the **prices** of goods.

Model Assumption: Consumers spend all their income (no savings)

Let:

M=Income X and Y are two goods  $P_x$ =price of each unit of good X  $P_y$  = price of each unit of good Y

## **Budget constraint:** numerical expression of which market baskets the consumer can afford.

### **<u>The Budget Constraint</u>**: $P_xX + P_yY = M$

Total expenditure = Income

Rearranging the above expression for the budget constraint, we are able to determine how many units of good Y we can consume for any given quantity of good X:

$$Y = \frac{M}{P_Y} - \frac{P_X}{P_Y} X$$



Dividing I\_\_\_\_\_ by the price of Y yields the maximum number of units of Y that can be purchased when no units of X are purchased.

Dividing income by the price of X yields the maximum number of units of X that can be purchased, when no units of Y are purchased.

These are the intercepts of the budget line.

The slope of the equation  $-\frac{P_X}{P_Y}$  is \_\_\_\_\_because in order to purchase more units of Y, the consumer must give up units of X.

### **Shifts in the Budget Constraint**

What happens to the budget constraint when: (1) income changes, (2) the price of X changes or (3) the price of Y changes?

### 1) I changes

Let M<sup>0</sup>= initial income M<sup>1</sup>=new income

When income changes, the Y intercept changes from  $\frac{M^0}{P_v}$  to

$$\frac{M^1}{P_Y}$$
 and the X intercept changes from  $\frac{I^0}{P_X}$  to  $\frac{I^1}{P_X}$ .

The slope of the budget line remains unchanged at  $-\frac{P_X}{P_V}$ .

Hence, a change in income is shown as a **parallel shift** inward or outward of the budget constraint.

# Units of Y



### (2) <u>A change in the p</u> of good X:

A change in the price of good X does not change the amount of good Y the consumer could buy if he or she spent all their income on Y. (i.e. the intercept remains the same.)

The \_\_\_\_\_ line does change:

▷For price increases, the budget line becomes steeper

▷For price decreases, the budget line becomes flatter.



When the price of X decreases, the consumer can now purchase more of good X.

>The budget constraint swings outward and becomes flatter.

### (3) A Change in the \_\_\_\_\_ of Good Y:

A change in the price of good Y does not change the amount of X the consumer could buy if he or she spent all their income on X. (I.e. the X intercept remains the same.)

### However, the budget line does change:

▷For price increases the budget constraint becomes

▷For price decreases the budget constraint becomes steeper. (I.e. the Y intercept increases.)



<u>Note:</u> If all prices and income change by the same proportion, the budget constraint is \_\_\_\_\_.

### **The Consumption Decision:**

That is, the basket of goods the consumer eventually purchases is determined by individual taste and afford ability.

We know that all market baskets on the budget constraint are attainable because they are affordable. The consumer will choose the basket of goods that is on his or her highest attainable \_\_\_\_\_\_ curve.

### Graphically we have the following:



The consumer maximizes utility at market basket A, where the MRS equals the \_\_\_\_\_ of the budget constraint.

A necessary condition for the consumer to maximize utility subject to the budget constraint is:

$$---_{YX} = -\frac{P_X}{P_Y}$$

The consumer divides total income between the two goods so that the MRS between the two goods equals the negative of the price ratio, which equals the \_\_\_\_\_ of the budget constraint.

"When selecting a market basket containing both goods, a consumer maximizes utility by equating his or her marginal rate of substitution with the market's marginal rate of substitution."

## Generally, most baskets contain "\_\_\_\_" goods, but there are situations where the consumer only consumes one of the goods:

#### **Specialization of Consumption: C\_\_\_\_\_ Solutions:**

We can apply this model to explain why consumers do not purchase certain goods.

Quantity of A



This consumer maximizes utility by consuming market basket '2' on indifference curve I1. The consumer chooses to not consume any of good **B.** It is the tastes of the consumer that determines the market basket. This solution is referred to as a corner solution. This market basket illustrates the concept of specialization of consumption. The consumer does not purchase any of Good B because the MRS is greater than the slope of the budget line when he / she selects market basket 2.

### Introduction of A C\_\_\_\_\_ Good

In order to extend the consumer behaviour theory to include <u>all goods</u> consumed by a consumer, we introduce a composite good such that we can still illustrate consumer behaviour with a **two** dimensional graph.

Assume the consumer consumes 'n' goods.

A composite good is defined as the number of \_\_\_\_\_\_ spent on the other (n-1) goods.

The two goods in the consumer's utility function becomes units of good 'X' and units of 'S', the total spending on all goods other than 'X'.





### The M Demand Function

To derive the market demand function, we will use the \_\_\_\_\_ maximization model of consumer behaviour to determine each consumer's demand function for a good.

### **The Consumer's Demand Function**

Assume: the consumer's income is \_\_\_\_\_ two goods, X and Y price of Y is fixed

As the price of X decreases, the budget constraint rotates.
The consumer purchases different baskets to maximize utility.
The demand curve for good X is derived as the price of X changes.



### **The Market Demand Function**

The market demand function represents the **total quantity** of a good demanded by **all** individuals at each \_\_\_\_\_.

It is derived by horizontally summing up the demand curve of each consumer.

For each price, the quantity demanded by each consumer is added up horizontally to derive the total quantity demanded in the \_\_\_\_\_.

Individual demand curves differ because income and p\_\_\_\_\_ differ across consumers.







Derivation of the market demand curve from consumers' individual demand curves

#### **Substitutes and Complements**

When the price of a good changes and the quantity demanded of another good changes in the \_\_\_\_\_\_ direction, with the price of the other good held constant, the two goods are referred as \_\_\_\_\_\_ **goods**.



Demand for good A increases due to a decrease in the price of B.

When the price of a good changes and the quantity demanded of another good changes in the \_\_\_\_\_ direction, with the price of the other good held constant, the two goods are referred as  $\underline{s}$ \_\_\_\_\_ **goods.** 



# We can determine whether two goods are substitutes or complements by the \_\_\_\_\_ of the <u>arc cross-price elasticity of</u> <u>demand</u>.

The arc cross-price elasticity of demand measures the average percentage change in the quantity of one good relative to the average percentage change in the \_\_\_\_\_ of another.

If we have two goods A and B, the arc cross-price elasticity of demand is:

$$E_{BP_A} = \frac{\Delta B}{\Delta P_A} \bullet \frac{P_A^1 + P_A^2}{B_1 + B_2}$$

The only difference with this equation with the arc price elasticity of demand is that the change in the quantity of A has been replaced by the change in the quantity of B, and the sum of the units of A by the sum of the units of B.

The arc cross-price elasticity of demand measures the response of B to a change in the \_\_\_\_\_ of A. If A and B are \_\_\_\_\_, then  $\frac{\Delta B}{\Delta P_A}$  is \_\_\_\_\_ and the arc cross price elasticity of demand is **negative**.

If A and B are \_\_\_\_\_, then  $\frac{\Delta B}{\Delta P_A}$  is <u>positive</u> and the arc cross price elasticity of demand is <u>positive</u>.