

Introduction:

1. Asymmetric information?

- what is it?
- why important?
 - efficient markets
 - market "failure"
- examples?
 - canned goods
 - doctor/lawyer/mechanic/chiropractor
 - insurance
- Types of problems arising?
 - *Moral hazard*: info asymmetry arises after contract signed
 - *Adverse selection*: agent has relevant private info before contract signed

2. Principal - agent models

- one ind'l (P) hires another (A) to perform a task
- A's performance affects payoff of both
- issue: P and A each want to max own payoff
- how motivate A to act in P's interest when optimizing choices differ

examples:

a) hiring a taxi: P - min time, cost; A - max \$\$

- contract: "two part tariff"
 - fixed fee plus \$/distance
 - fixed component - max # trips
- other similar examples?

b) safety inspections on cars:

- costly to check, costly to leave unsafe cars on road
- ind'ls have interest in safety of others' cars
- want scheme to provide correct incentives
 - i) to drivers - inspect
 - ii) to inspectors - correct diagnosis
 - iii) to repairers - min'm cost

Proposed solution:

- mandate annual inspections
- inspections at private garages
 - paid by state, if "safe"
 - by owner, if "dangerous"
- repairs at inspecting garage, or elsewhere

Use market forces where competition works

3. Choice under uncertainty:

- objects of choice: *lotteries*
 - probability distribution over goods

a) simple lottery: list $L = (p_1, \dots, p_n)$

p_i = probability outcome i occurs, $i=1, \dots, n$

$$p_i \in [0,1], \sum_{i=1}^n p_i = 1$$

- exhaustive; outcomes mutually exclusive
- ex: $n=3$, outcomes $\{x_1, x_2, x_3\}$

Three possible lotteries are

$$L_1 = (1,0,0) \quad L_2 = (1/4, 3/8, 3/8) \quad L_3 = (0, 1/2, 1/2)$$

b) compound lottery: lottery whose prizes are lotteries

- ex: lottery L_4 , with prizes the lotteries above, each with prob $1/3$

Note: compound lottery can be reduced to a simple lottery over the initial three outcomes

$$L_4 = (5/12, 7/24, 7/24)$$

2. Preferences over lotteries:

Assume: complete, transitive, continuous
+ "independence axiom"

For all L, L', L'' and α such that $0 < \alpha < 1$

$$L \succ L' \implies \alpha L + (1-\alpha)L'' \succ \alpha L' + (1-\alpha)L''$$

Remember: outcomes mutually exclusive

Given these, can represent preferences using particular functional form:

Expected Utility form:

Given lottery $L = \{p_1, \dots, p_n\}$ over outcomes $\{x_1, \dots, x_n\}$,

$$EU(L) = \sum_{i=1}^n p_i U(x_i)$$

(von Neuman Morgenstern utility function)

Important features?

- linear in probabilities
- separable in outcomes

4. Monetary outcomes:

- utility of wealth function $U(w)$
(indirect utility function)
- initial wealth w_0
- outcomes: $\{x_1, x_2\}$ -

if outcome 1, ind'l loses x_1 , so $w_1 = w_0 - x_1$

if outcome 2, ind'l gains x_2 , so $w_2 = w_0 + x_2$

Important features of lottery:

a) expected utility of lottery, $EU(L)$:

- individual's *ex ante* evaluation of lottery
- depends on $U(w)$ function

$$EU(L) = p_1 U(w_1) + (1 - p_1) U(w_2)$$

b) expected value of lottery, $EV(L)$:

- *ex ante* monetary value (before resolution of uncertainty)

- $EV(L) = Ew = p_1(w_0 - x_1) + (1 - p_1)(w_0 + x_2)$

$$= w_0 + x_2 - p_1(x_1 + x_2)$$

- initial wealth plus expected gain

c) utility of expected value of lottery, $U(EV(L))$

Acceptance of lottery - willingness to accept risk involved - depends on both EV and attitudes toward risk

- categorize by sign of $EU(L) - U(EV(L))$

- depends on shape of $U(w)$

Attitudes to risk:

- two possibilities:
 - individual indifferent to risk - cares only about expected value
 - individual cares about both EV and risk
 - risk good or bad

If $U(w)$ is then and individual
is

Linear: $U'(w)=k, U''=0$	$EU(L) = U(EV(L))$	Risk neutral
Concave: $U'(w)>0, U''<0$	$EU(L) < U(EV(L))$	Risk averse
Convex: $U'(w)>0, U''>0$	$EU(L) > U(EV(L))$	Risk loving