

# Crystal Field Theory (CFT) In Detail

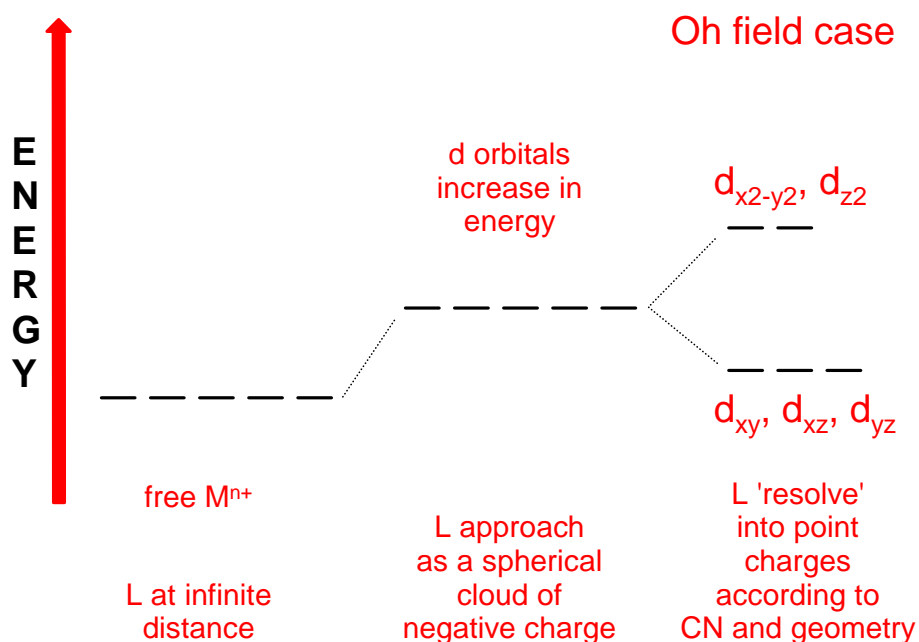
(H&S 3<sup>rd</sup> Ed. Chpt. 21.3)

CFT provides a simple model for d orbital splitting:

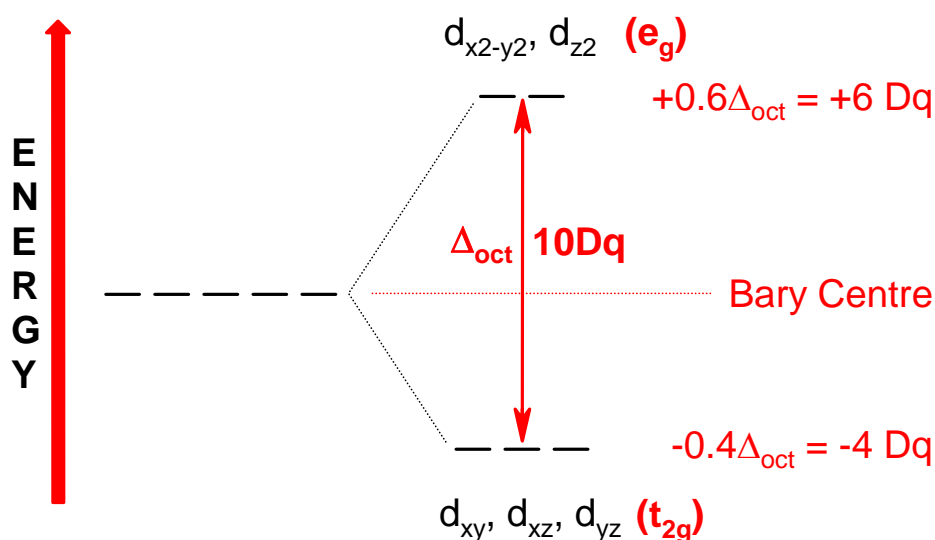
- works for several oxidation states and geometries
- allows prediction of properties such as structures, colours, magnetism

CFT examines *relative* d orbital energies when a  $M^{n+}$  ion is placed in an '*electrical field*' created by the ligand (donor) electrons:

- electrostatic *attraction* between  $M^{n+}$  and L
- electrostatic *repulsion* between d electrons and L electrons (considered as point charges) *destabilizes d electrons differentially depending upon their orientation in space*



## CFT for an Oh complex:



a, b = singly degenerate labels  
 e = doubly degenerate  
 t = triply degenerate

g = gerade (symmetrical about origin)  
 u = ungerade (unsymmetrical about origin)

size of  $\Delta_{\text{oct}}$  or ( $\Delta_{\text{o}}$ ) is determined by the '*crystal field strength*'

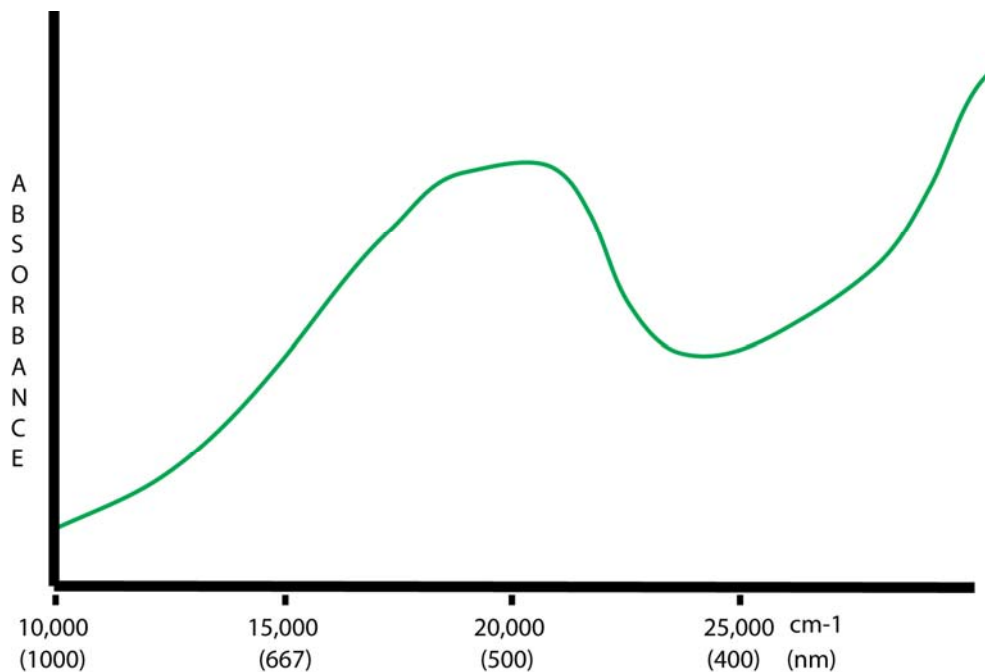
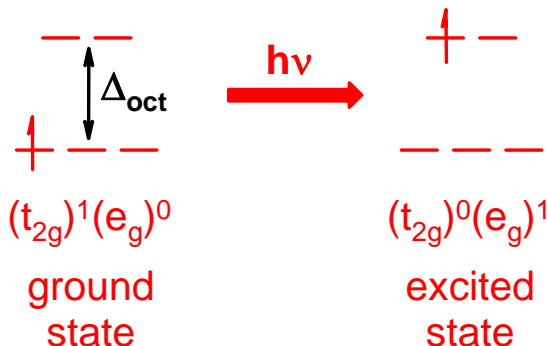
$$\Delta_{\text{oct}} (\text{weak field}) < \Delta_{\text{oct}} (\text{strong field})$$

factors affecting the **size of  $\Delta_{\text{oct}}$**  include:

- identity and Ox. St. of the metal (larger for 2<sup>nd</sup>/3<sup>rd</sup> row than 1<sup>st</sup> row d block)
- nature of the ligands ( $\sigma$  and  $\pi$  bonding ability)

Electronic spectra (UV-Vis) can provide a measure of  $\Delta_{\text{oct}}$  because transitions between d orbitals ( $t_{2g} \rightarrow e_g$ ) fall in this region:

eg.  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$   $d^1$



- $\Delta_{\text{oct}}$  is a measurable quantity
- in this case,  $\text{Ti}^{3+}$  has a  $\lambda_{\text{max}} = 20,300 \text{ cm}^{-1}$  or  $243 \text{ kJ mol}^{-1}$  for the energy required to promote an electron from the  $t_{2g}$  to  $e_g$  set

